

Increasing the Connectivity in Ad-Hoc Networks

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Overview

- Motivation: the DeepMap Environment
- Ad-Hoc Networks
- ANSim – an Ad-Hoc Network Simulator
- Increasing the Connectivity in Ad-Hoc Networks
- Outlook



DeepMap: The Idea



- **Develop a virtual tourist guide for the world-famous city of Heidelberg**
- **handheld device to be carried by the tourist**
- **some local data on the disk, but huge collections of data available online:**
 - **compute virtual tours during the planning stage**
 - **present data on specific buildings, even in different historic times, in different media: video, audio, animations, 3D models, maps, etc.**
 - **lead the tourist on his path**
 - **let him communicate within his (virtual) group**
 - **locate users**

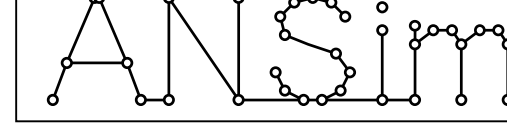


Ad-Hoc Networking

- Question: now we have many mobile devices in a certain area – can't we make use of them for more than just as user devices?
- Example: increase of hot spot size by using these mobile devices as relay stations, i.e. by building **ad-hoc networks**
- Ad-Hoc Network Definition (Charles Perkins):
 - Wireless Networks where the nodes are far enough apart so that not all of them are in reach of each other
 - The nodes are able to assist each other in the process of delivering the packets of data.
 - Mobility is optional
- Potential Applications:
Sensor-Networks, Telematics, emergency Networks

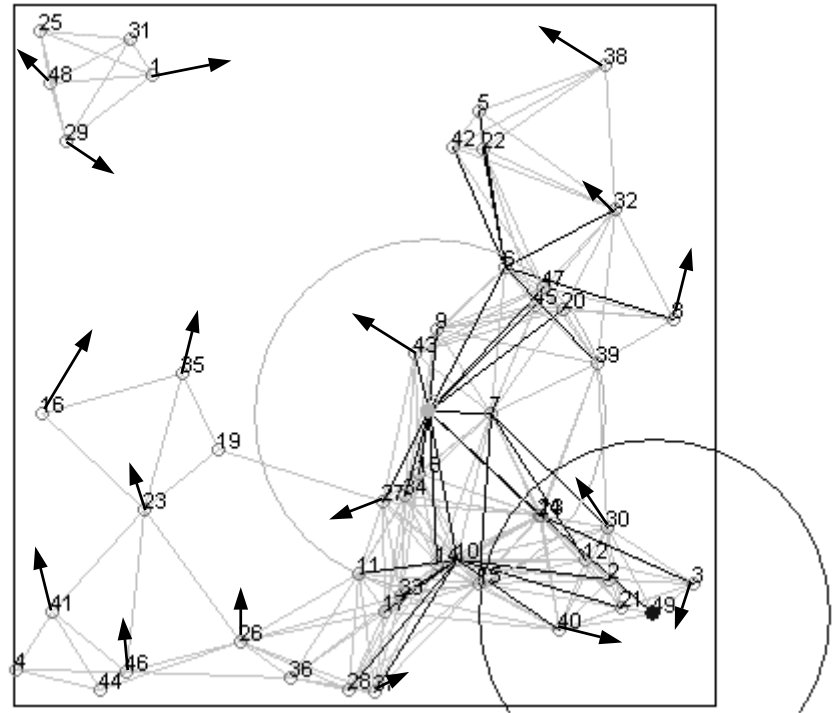


Project: ANSim



- Immediate question: when is it worth trying?
 - Few stations with small transmission radius
 - Result: no connection or frequent disruption
 - Can even be counter-productive
- We investigate this question doing simulations (analytical solutions not feasible)
- → Development of the ANSim simulator

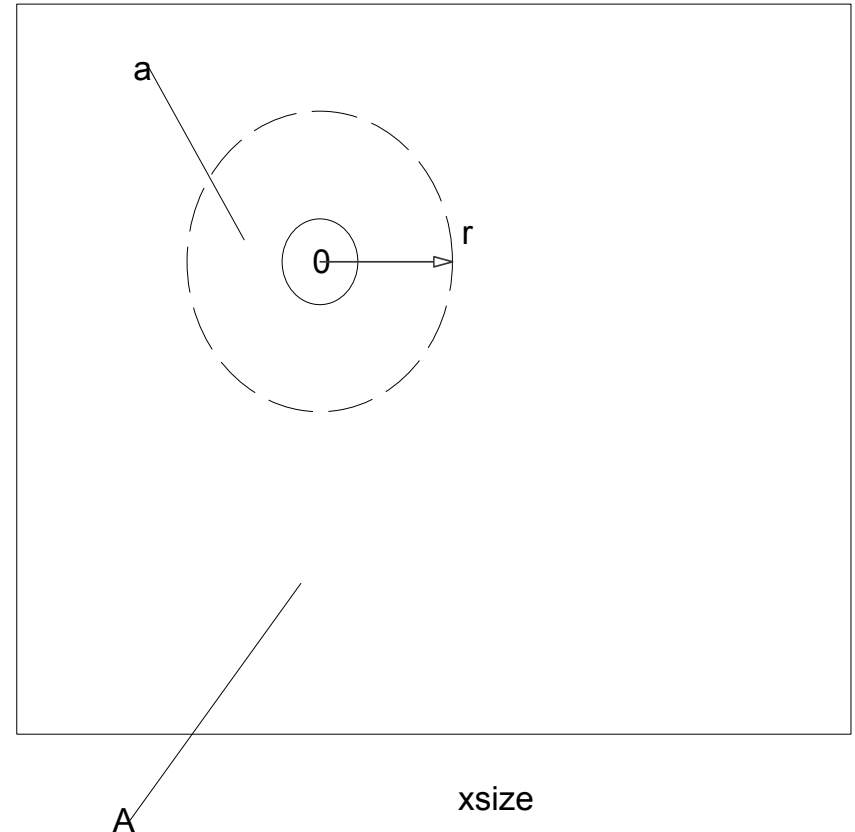
Ad Hoc Networks Simulation

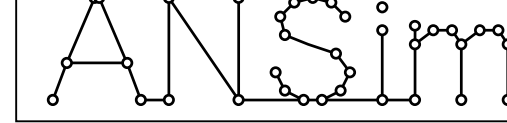


Explanation: Source ● Destination ● N-1 Range (○) Connection — Spanning Tree — active —

Model for the Simulation

- Model in the geometry of two dimensions R^2
 - Area A
 - N Nodes uniformly distributed within A
 - Node positions are independent of each other
 - $P_B \leftrightarrow f(P_A)$
 - Transmission radius r
- free-space loss
 - distance d between 2 Nodes smaller than r
=> transmission possible
 - $d > r$ => **no** Transmission





Click to Start

ANSim

First ANSim results

- Scenario: area of 1000m x 1000m, transmission range 250m
- Many devices are necessary to be able to set up connections with a certain probability:
 - When the full area is covered 5 times by transmission range circles, the probability is 80%.
 - With a degree of coverage of 8 it is close to 100%.
- When 95% is desired, every node needs to have (depending of the area's shape) 5 to 15 direct neighbors, in the above scenario 7,7.
- Big problem: usage of same frequency bands leads to disturbances (not covered in ANSim)



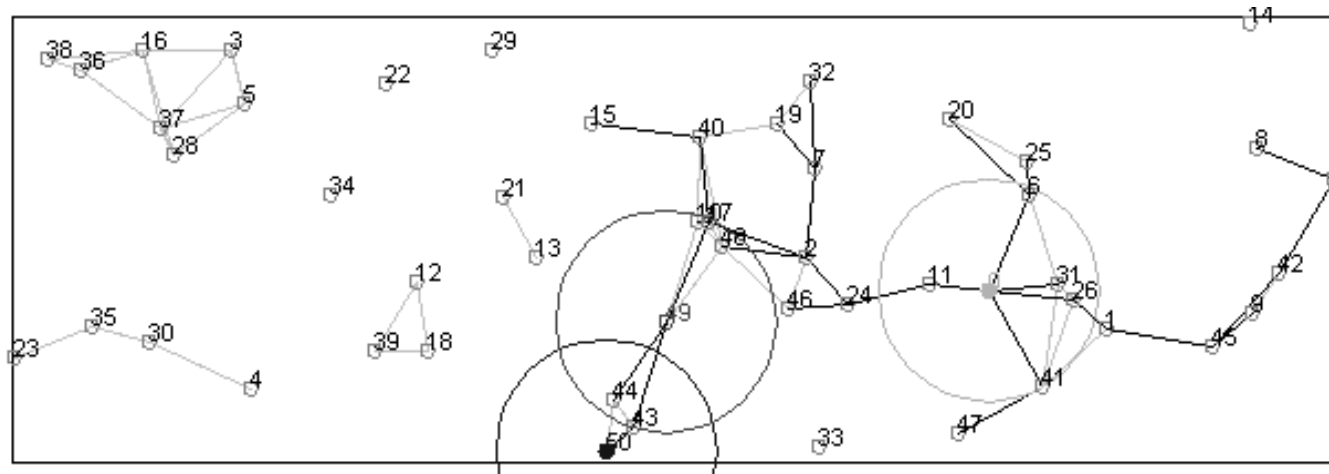
Maintaining Connectivity

- Nodes are mainly interested in doing their applications' job
- They are typically not interested in maintaining the network
- So, when there currently is a connection important for a certain application that is built by two nodes coming from a different application, the connection might quickly break



A possible Solution for low Connectivity

Robot N_{49} enabling connection between N_0 & N_{50}



- Idea: introduce a small number of mobile nodes called *robots*
 - *Robots* act as "Maintainers" of the network
 - challenge is to locate the optimal destination for a *robot*
- Aspects are:*
- Many broken links to choose from
 - Time necessary to reach the destination
 - What is the maximum benefit for the whole network
 - Coordination with other robots



Robots Maintaining the Network

- Robots move according to a random pattern equivalent than the standard nodes
- Robots follow a positioning algorithm & move with $v = \textit{infinite}$ (Reference)
- Robots follow a positioning algorithm and move with the maximum velocity of the standard nodes
- Stationary robots according to the results of the previous steps



Positioning Algorithm

Begin

create robots list

Do

- cluster analysis of nodes without elements of the robots list
- find a robot and a position with **maximum Cost-/Benefit Relationship**
- send the robot to that position and remove it from *robots list*

until *robots list*==empty **or** Number of Clusters==1

End



Benefit & Cost Function Simple Approach

- **Benefit function** for Nodegroup (Cluster) G_j and G_k (with $N(x)$ = number of nodes in x)

$$b(G_j, G_k) = N(G_j) \cdot N(G_k)$$

- **Cost function** for Robot N_r to connect G_j and G_k

$$c(G_j, G_k, N_r) = \frac{d(G_j, G_k)}{r} \left(1 + \frac{d(P(j, k), N_r)^2}{r^2} \right)$$



Optimization Details

- A network has $N(\geq 1)$ isolated nodegroups
- The size of the Nodegroups is defined as $N(G_j(t)) =$ number of Nodes in Nodegroup
- The probability that two randomly chosen Nodes in the network are connected is:

$$p_{ges}(t) = \sum_{i=1}^{N(t)} \frac{N(G_i(t))^2}{N^2} = \frac{1}{N(t)^2} \sum_{i=1}^{N(t)} N(G_i(t))^2$$

- Our goal to maximize $p_{ges}(t)$ in the time interval $[t_1; t_2]$

$$p_{opt}(t_1, t_2) = \max\left(\int_{t_1}^{t_2} p_{ges}(t) dt\right)$$



Optimization Details (2)

- One robot can interconnect two nodegroups G_l, G_m .
- We define the interval $[t_1; t_2]$ so that $N(G_i(t))$ does not change for all nodegroups.
- The number of nodes does not change.

$$p_{opt}(t_1, t_2) = \max\left(\int_{t_1}^{t_2} \frac{1}{N(t)^2} \sum_{i=1, i \neq l, i \neq m}^{N(t)} N(G_i(t))^2 + N(G_{lm}(t))^2 dt\right)$$

$$= \int_{t_1}^{t_2} \frac{1}{N(t)^2} \sum_{i=1}^{N(t)} N(G_i(t))^2 + 2\max(N(G_l(t))N(G_m(t))) dt$$

\Rightarrow Select 2 Nodegroups so that $N(G_l(t)) * N(G_m(t))$ is maximum.



Optimization Details (3)

See Simulation

opti.jar

for a slow motion illustration

(red links: goal for a robot following optimization computation)

Parameters:

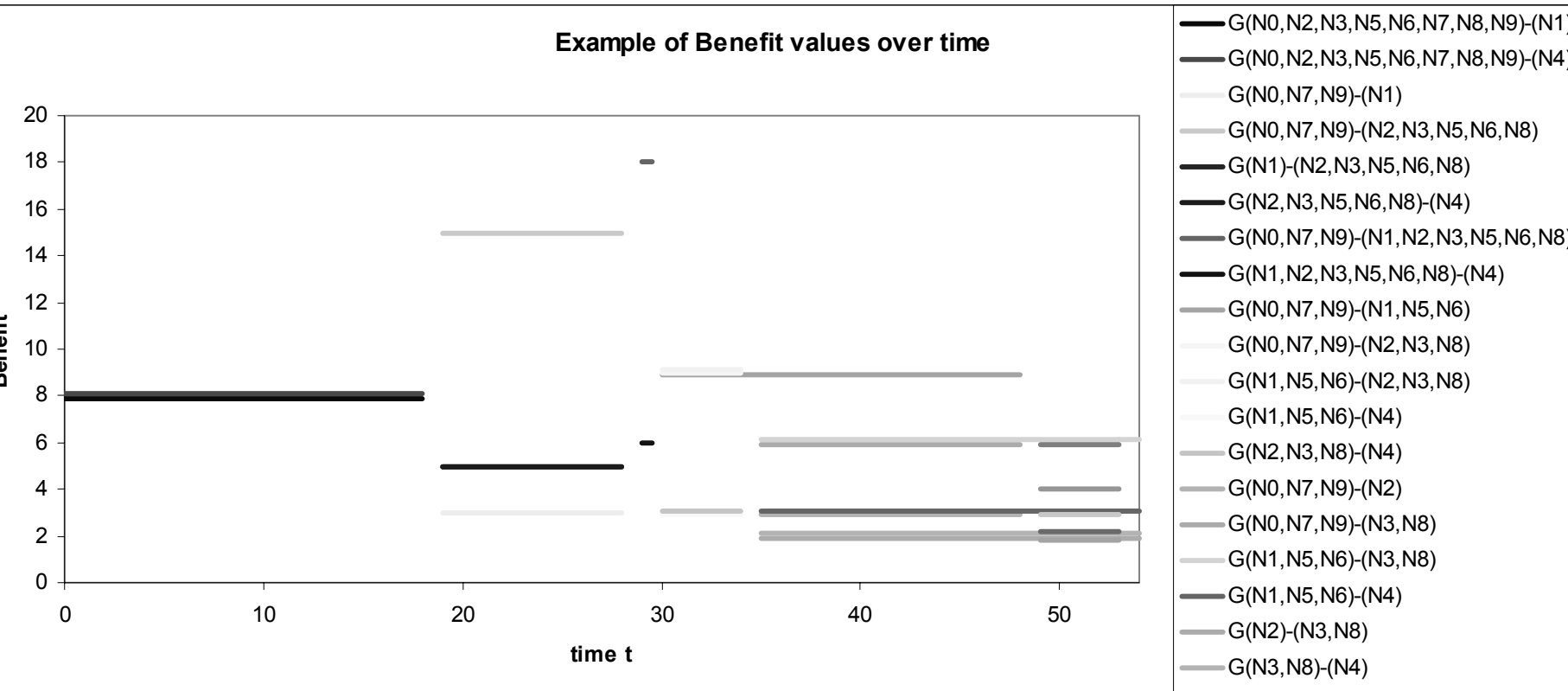
1000x1000m, 10 Nodes, range=250m,

Random Waypoint Model, $v=[0:10\text{m/s}]$, stop=0s,



Optimization Details (4)

- Szenario Without Robots



Simple Cost Movement

See Simulation

ansimold.jar

for a slow motion illustration

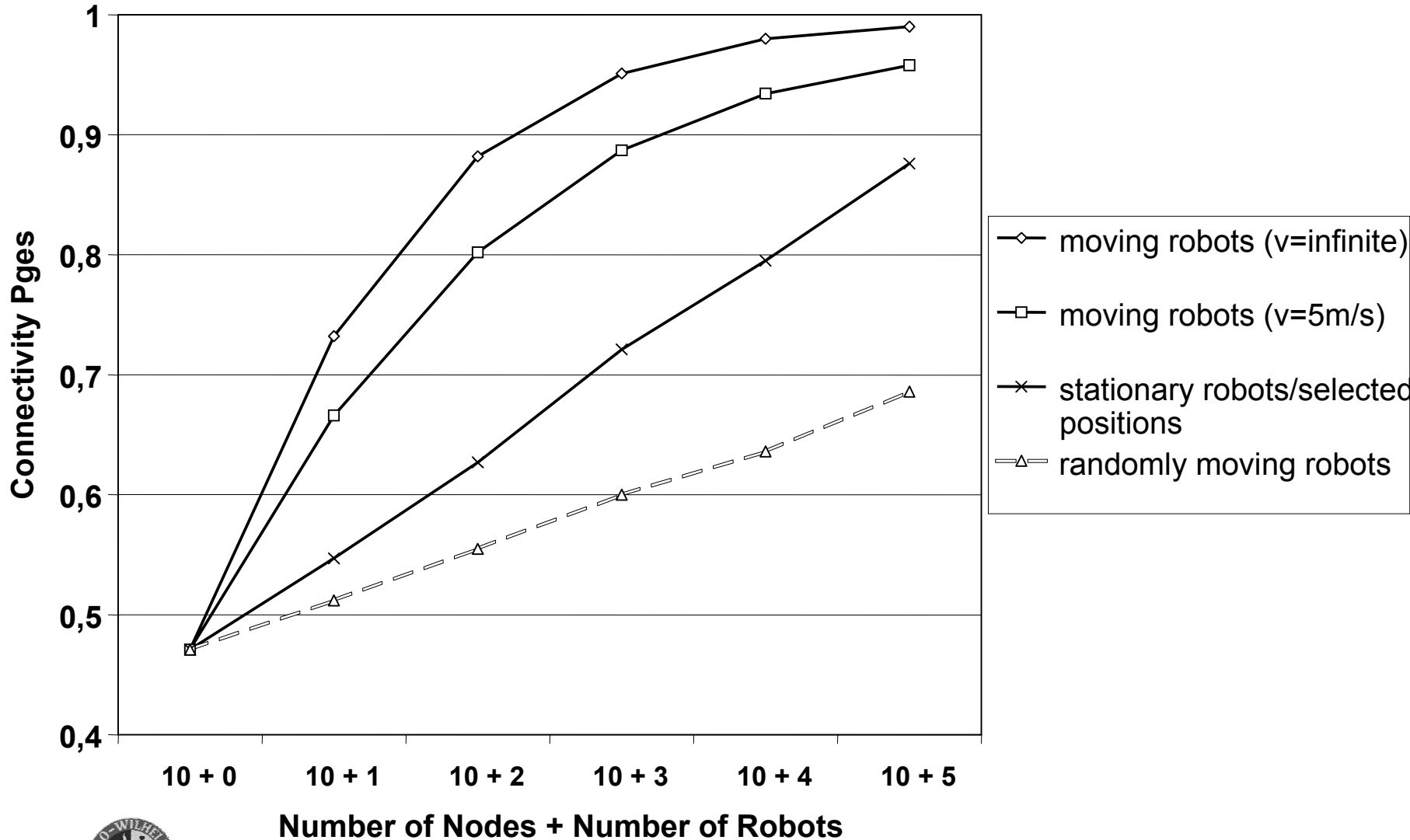
Parameters:

1000x1000m, 10 Nodes, range=250m,

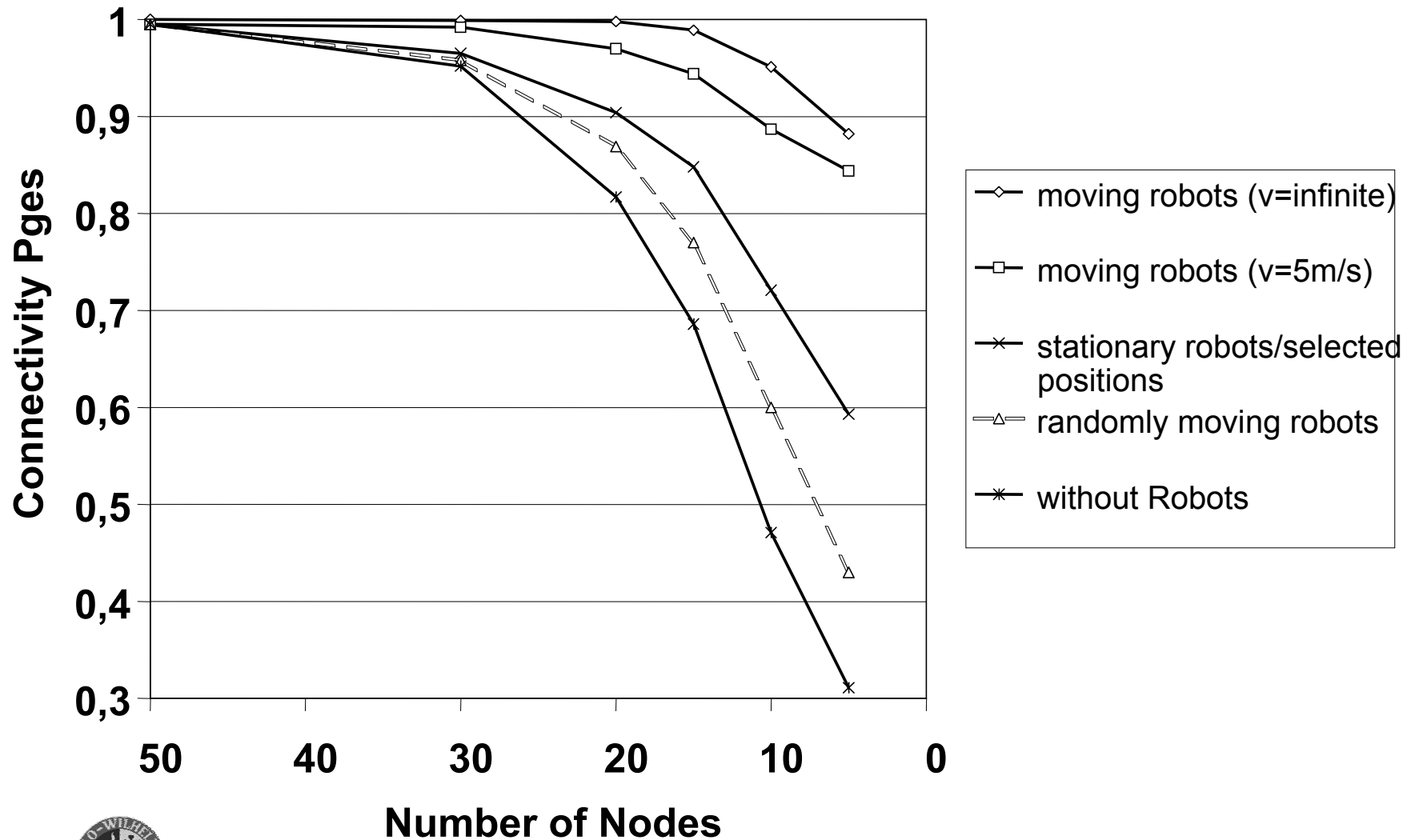
Random Waypoint Model, $v=[0:10\text{m/s}]$, stop=0s,



Connectivity for 10 MANET Nodes Random Waypoint Mobility



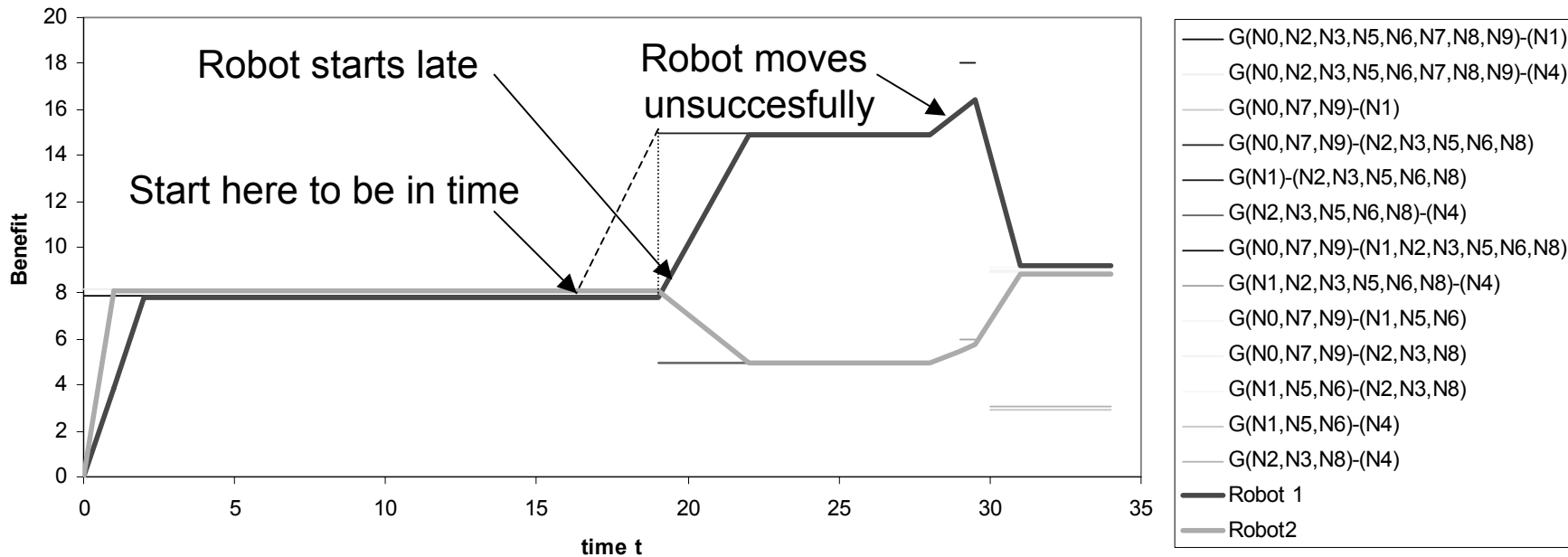
Connectivity for MANET Nodes with 3 Robots (Random Waypoint Mobility)



Simple Cost function

- Szenario with Robots & finite speed (here very fast)
- „Robots need time to move from one broken link to the other“

Example of Robots with finite speed with simple cost function



How to find a better moving pattern for the robots ?

$$p_{opt}(t_1, t_2) = \max\left(\int_{t_1}^{t_2} p_{ges}(t) dt\right)$$

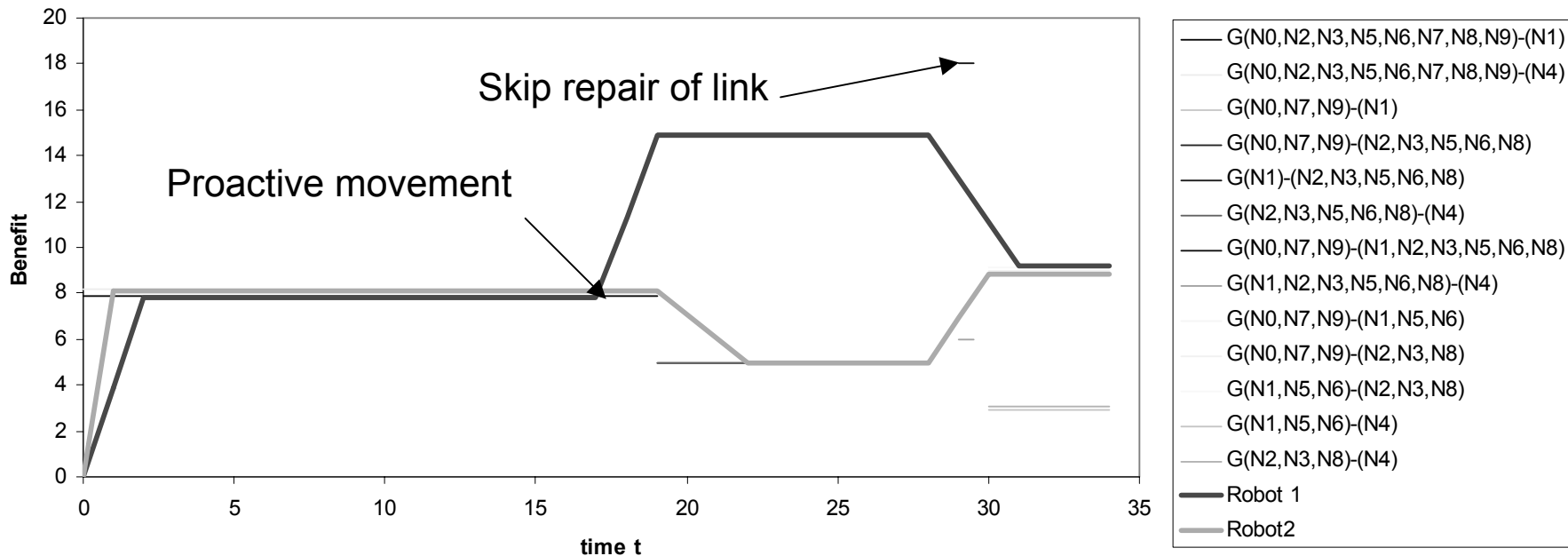
- Predict the future network topology from the movement of the nodes in the past.
- Generate benefit functions for repairing links in the predicted future.
- Use a sliding window technique for limiting the complexity (do not consider links that are too far in future)
- Assign robots to links.



Proactive Robots Illustration

- Szenario with Robots & finite speed (here very fast)
- „Robots start before links break“
- „... skip broken links that can't be reached in time

Example of Robots with finite speed



Proactive Movement

See Simulation

ansimnew.jar

for a slow motion illustration

Parameters:

1000x1000m, 10 Nodes, range=250m,
Random Waypoint Model, $v=[0:10\text{m/s}]$, stop=0s,
2 Robots with knowledge of all node positions



Status of Proactive Movement

- No final results available yet
- Trade off between complexity and usefulness of the algorithm is still under investigation (limited computational power of the robots).
- More details available soon.



Conclusions

- Based on a simple theoretical model, we simulated connection probabilities of Ad-Hoc networks.
- The tool ANSim enables the investigation of autonomous robots introduced into the network and running a distributed positioning algorithm.
- Mobile robots significantly improve the connectivity of mobile Ad-Hoc networks and help to maintain links between nodes in the case of decreasing number of nodes.
- Designers of Ad-Hoc networks as well as researchers can benefit from this tool by deriving scenarios for detailed investigations of protocols e.g. by means of *ns-2*.



Future Work

- An important future project is a modification of the positioning algorithm to cope with the fact that the robots just know the locations of the connected nodes and do **not** have an overall picture of the network.
- A further improvement already planned is the coordination of robots so that two or more robots together fill the gaps between isolated node groups.
- \Rightarrow These extensions are in development.



Simulation Input

Area: xsize m ysize m Shape

Extension Distribution

Node: range m Number Communication

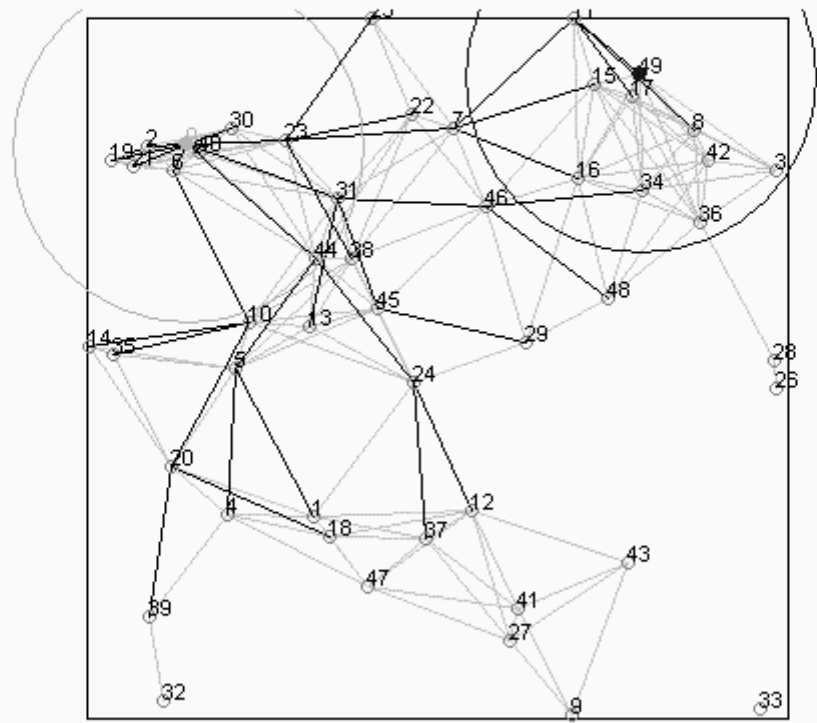
Mobility: max speed m/s max Move s max stop s

Output

Number of Scenarios	3326736
Probability	0.981127
Average Distance	521.3269
Av. direct neighbours	7.674472
Average Hops	3.223737
Sigma Hops	1.604656

Graphical Output

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Explanation: Source ● Destination ●^{N-1} Range (d) Connection — Spanning Tree — active —



Simulation Input

Area:	xsize	<input type="text" value="1000"/>	m	ysize	<input type="text" value="1000"/>	m	Shape	<input type="text" value="Rectangle"/>	
				Extension	<input type="text" value="2"/>		Distribution	<input type="text" value="uniform"/>	
Node:	range	<input type="text" value="250"/>	m	Number	<input type="text" value="50"/>		Communication	<input type="text" value="decentral"/>	
Mobility:	max speed	<input type="text" value="0"/>	m/s	max Move	<input type="text" value="300"/>	s	max stop	<input type="text" value="300"/>	s

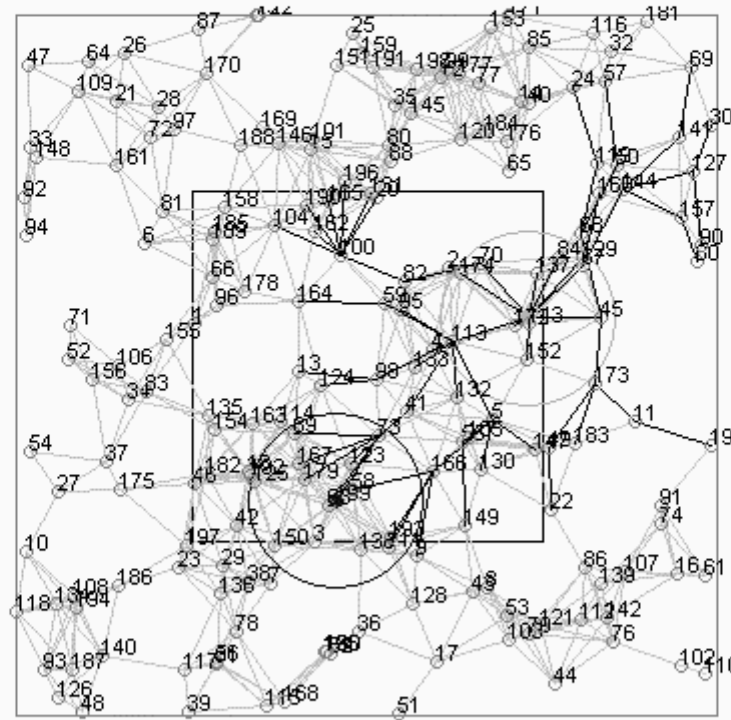
Stop

Output

Number of Scenarios	<input type="text" value="18187"/>
Probability	<input type="text" value="0.999670"/>
Average Distance	<input type="text" value="522.0794"/>
Av. direct neighbours	<input type="text" value="9.882058"/>
Average Hops	<input type="text" value="3.236675"/>
Sigma Hops	<input type="text" value="1.607473"/>

Graphical Output

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Explanation: Source ● Destination ●^{N-1} Range (d) Connection — Spanning Tree — active —



Simulation Input

Area: xsize m ysize m Shape

Extension Distribution

Node: range m Number Communication

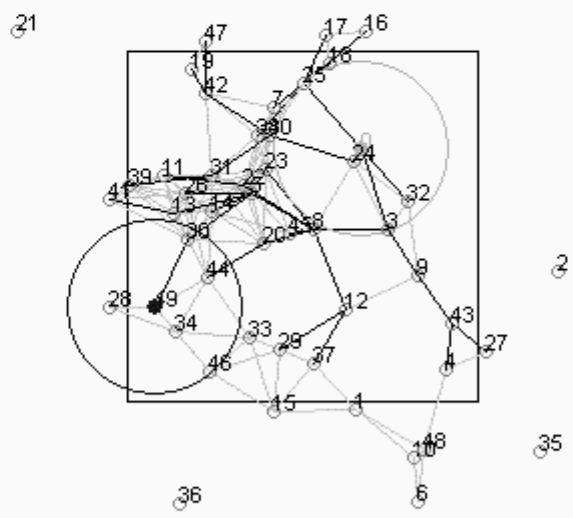
Mobility: max speed m/s max Move s max stop s

Output

Number of Scenarios	149509
Probability	0.713843
Average Distance	651.1272
Av. direct neighbours	5.364854
Average Hops	3.502988
Sigma Hops	1.918753

Graphical Output

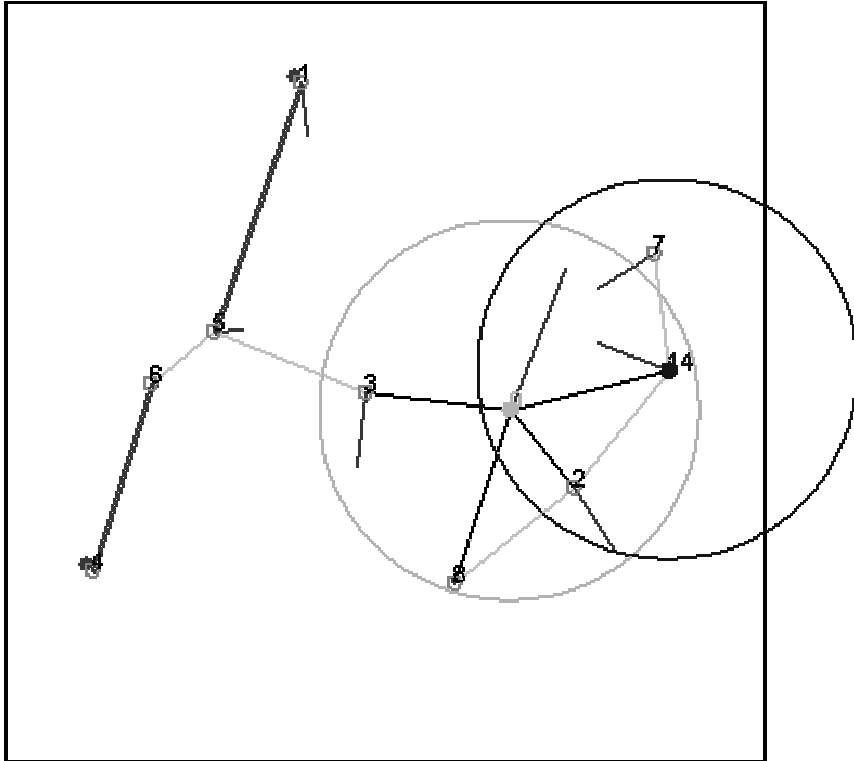
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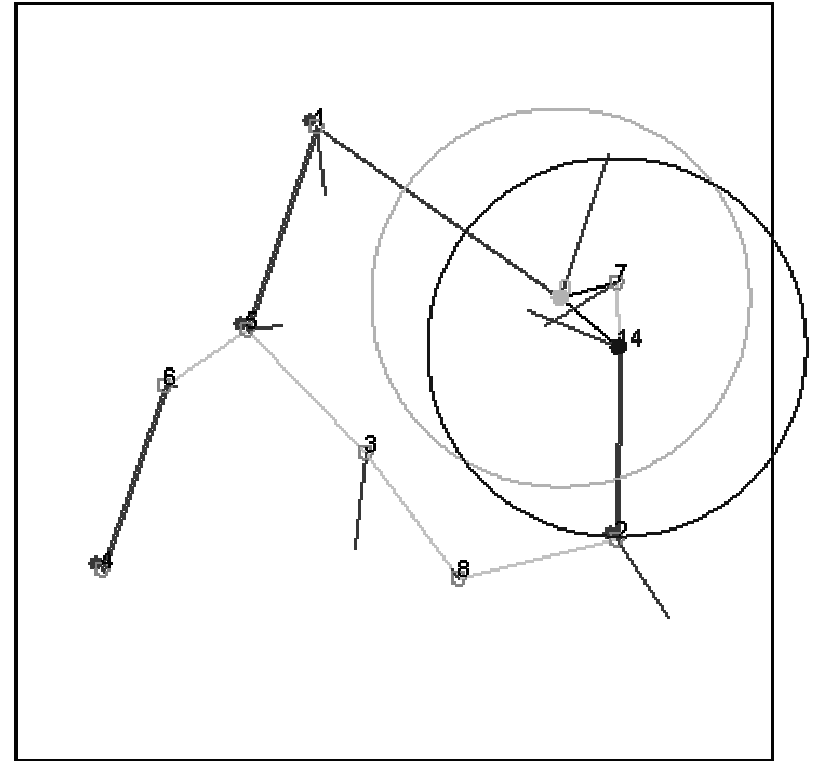
Explanation: Source ● Destination ●^{N-1} Range (d) Connection — Spanning Tree — active —



Optimization Details 3

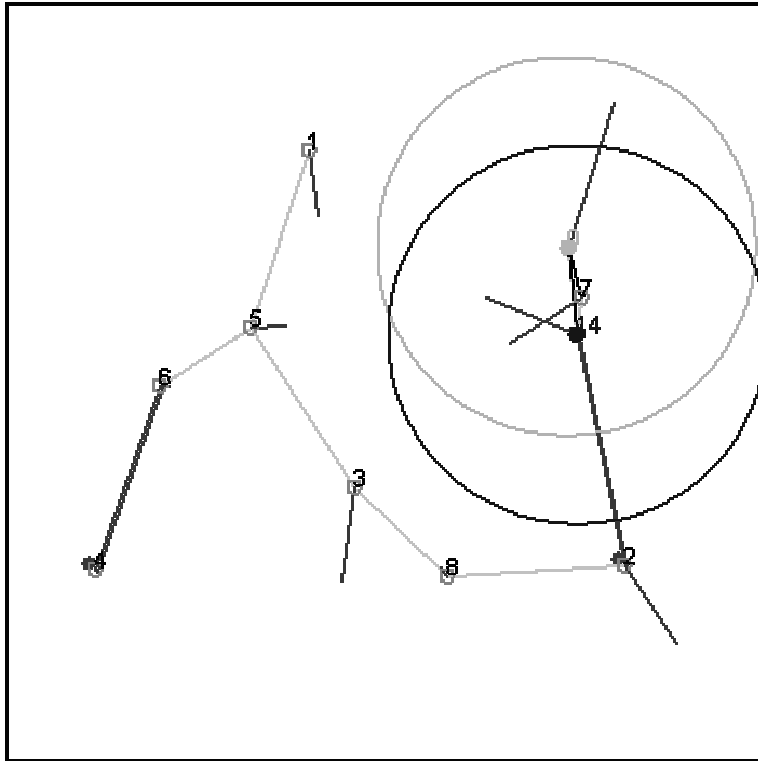


$t = 0$ s

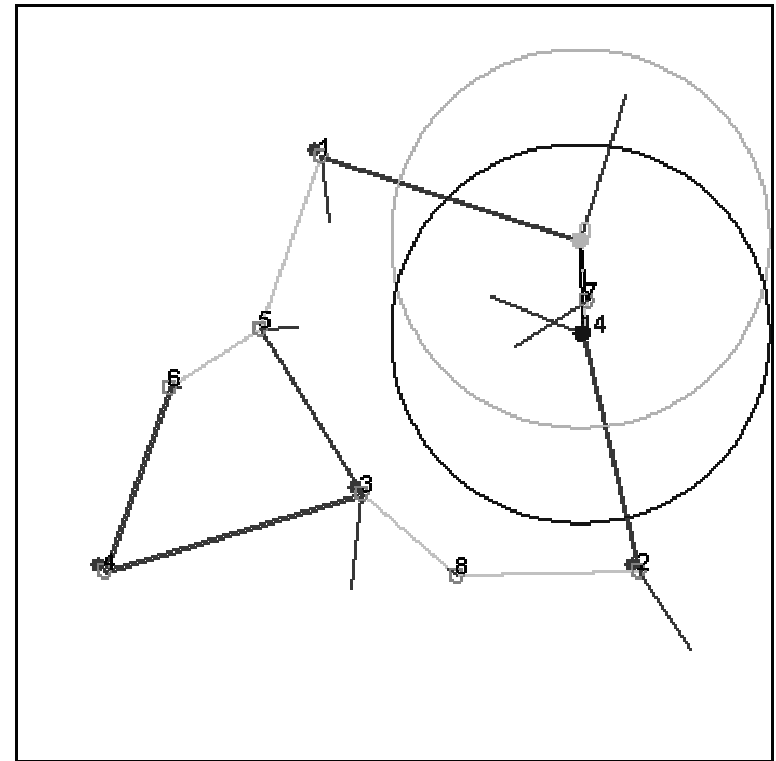


$t = 18$ s

Optimization Details 4

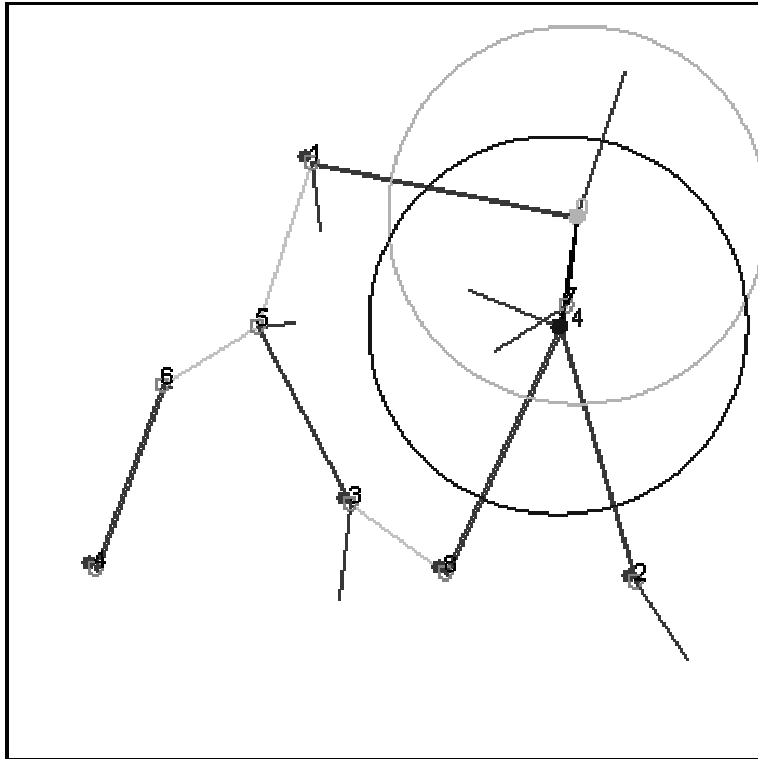


$t = 29$ s



$t = 30$ s

Optimization Details 5



$t = 33 \text{ s}$

...